

UNIVERSITY

UNIVERSITY EXAMINATIONS
2010/2011 ACADEMIC YEAR
FOR THE DEGREE OF BACHELOR OF EDUCATION
SCIENCE
COURSE CODE: PHYS 111
COURSE TITLE: MECHANICS
STREAM: Y1 S1
DAY:
SATURDAY
TIME:
2.00 - 4.00 P.M

DATE:
27/11/2010

## INSTRUCTIONS

1. Answer Question ONE and any other TWO Questions. Question One carries 30marks while each of the other Two Questions carry 20marks.
2. The following constants may be useful

- Universal gravitation constant $G=6.67 \times 10^{-11} \mathrm{Nm}^{2} \mathrm{Kg}^{-2}$
- Acceleration due to gravity $g=9.8 \mathrm{~m} / \mathrm{s}^{2}$


## PLEASE TURN OVER

## QUESTION 1 (30 marks)

a) i) What is error as used in measurements?
(1mark)
ii) State and differentiate between the types of experimental errors and describe how each can be minimized
b) Two measurements $y$ and $x$ are given with their errors as
$y=(3.03 \pm 0.01) m m, x=(2.20 \pm 0.02) m m$ and that $z=3 y+4 x$
Calculate:
i). The error in $\mathrm{z}(\nabla z)$
(2marks)
ii). The value of $z$ to be reported
(2marks)
c) i) Distinguish between the following
I. Basic and derived units
(2marks)
II. Units and dimensional analysis
ii) If Isaac Newton had considered that force (F) is related to acceleration (a), mass (m) and length $(l)$, how would he find a relation between them?
d) A student jumps straight upward. He rises for 0.4 s and descends in equal times. Calculate;

$$
\begin{aligned}
\text { i). } & \text { Initial velocity } \\
\text { ii). } & \text { Vertical height }
\end{aligned}
$$

e) i) Give scientific explanation why it is necessary for good highways to have "banked" or slanted curves.
ii) Calculate the angle of banking $(\theta)$ required for a curve of radius 400 m so that a vehicle can negotiate at a critical speed of $30 \mathrm{~m} / \mathrm{s}$
f) State a situation where a body's velocity is zero yet there is acceleration.
(1mark)

## QUESTION 2 (20 marks)

a) i) State Newton's first and second laws of motion
(2marks)
ii) A horse is urged to pull a wagon. The horse refuses to try citing Newton's third law as its defense. "The pull of me on the wagon is equal but opposite to the pull of the wagon on me. If I can never exert a greater force on the wagon than it exerts on me, how can I ever start the wagon to move?" asks the horse. How would you reply?
(3marks)
b) i) State two situations where there can be a positive acceleration.
(2marks)
ii) What is the difference between motion at constant velocity and motion at constant acceleration?
(2marks)
c) The diagram below shows a block of wood of mass 24 Kg attached via a pulley to a hanging weight of mass 15 Kg . Assuming that there is no friction between the block and the bench, calculate
i). The acceleration of the system
(3marks)
ii). The tension on the string
iii). What would be the tension if 24 Kg mass was fixed in place?

c) i) State the law of conservation of linear momentum
(1mark)
ii) A lorry of mass 1500 Kg traveling at $72 \mathrm{Km} / \mathrm{h}$ collides with a stationary smaller car of mass 900 Kg . The impact took 0.4 s before the two moves at a uniform velocity for 10 s . Calculate common velocity

## QUESTION 3 (20 marks)

a) i) What is a trajectory?
ii) In a football fracas, a hooligan throws a stone at a velocity of $20 \mathrm{~m} / \mathrm{s}$ at an angle of $60^{\circ}$ to the horizontal. Calculate;
a) the time it takes before the stone strikes the ground
b) the maximum height reached by the stone
c) the vertical velocity just before it strikes the ground
b) Show that the range ( R ) of a projectile having an initial velocity (u) and angle $(\theta)$ is given by

$$
R=\frac{u^{2} \sin 2 \theta}{g}
$$

(3marks)
c) i) State and explain three factors that affect centripetal force.
(3marks)
ii) The diagram below shows two masses of 0.3 Kg and 0.6 Kg connected by a string through a hole on a smooth frictionless horizontal surface


The 0.3 Kg mass rotates in a horizontal circle of radius 4 cm . Calculate the angular velocity $(\varpi)$ of the 0.3 Kg mass for the system to be in equilibrium

## QUESTION 4 (20 marks)

a) Define the following terms
(4marks)
i). Displacement
ii). Acceleration
iii). Frame of reference
iv). Free body diagram
b) Consider an object starting with initial velocity (u) and accelerate constantly at a constant acceleration (a) so as to cover a displacement (s). Show that for this object the displacement (s) is given by

$$
\begin{equation*}
s=\frac{v^{2}-u_{2}}{2 a} \tag{4marks}
\end{equation*}
$$

c) A driver of a car traveling at a velocity of $40 \mathrm{~m} / \mathrm{s}$ suddenly applies brakes and the car achieves a constant deceleration of $5 \mathrm{~m} / \mathrm{s}^{2}$. Calculate,
i). the distance cover before stopping
ii). the time $(t)$ taken before the car comes to rest
iii). the velocities of the car at the time intervals: $0, \frac{t}{4}, \frac{t}{2}, \frac{3 t}{4}$ and $t$

## QUESTION 5 (20 marks)

a) i) State the law of conservation of energy
(1mark)
ii) The diagram below shows a simple pendulum in oscillation.


The length of the string is 80 cm and the bob is momentarily at rest at point X , calculate the velocity of the bob when crossing point $Y$.
b) i) Define friction
ii) State and explain two types of friction
c) A force of 24 N acts on a 6 Kg mass resting on a smooth surface.
i). What is the acceleration of the mass?
(2marks)
ii). If the force causes the mass to accelerate at $1.5 \mathrm{~m} / \mathrm{s}^{2}$, what would be the frictional force between the mass and the surface
(3marks)
d) A man is lying at a horizontal distance $d=120 \mathrm{~m}$ from the foot of a tree. He wishes to shoot a monkey which is hanging on a branch of a tree at a height $H=24 m$ above ground. At the instant the monkey releases the branch and dropped, the man fires the gun with a bullet horizontal speed of $210 \mathrm{~m} / \mathrm{s}$.
i). Explain why the monkey should not have released the branch and dropped if it was to avoid being shot.
ii). Determine the time elapsed before the bullet hits the monkey
e) A 600 Kg mass is suspended from the end of a horizontal beam of length 5 m as shown.


Assuming that the beam's mass is so small compared to that of the load and thus can be ignored, calculate;
i). The tension on the cable
ii). The inward force the beam exerts on the wall

